1	$(x+3)^2-16$	M1	for $(x + 3)^2$ or $(x^2 + 6x - 7 =) x^2 + 2ax + a^2 + b$
_		A1	cao

2	(2, -9)	P1	substitutes $x = 0$, $y = -5$ into $y = x^2 + ax + b$ $(b = -5)$ or substitutes $x = 5$, $y = 0$ into $y = x^2 + ax + b$ $(0 = 25 + 5a + b)$ or starts process to find other intercept, eg writes $y = (x - 5)(x - k)$	
		P1	for complete process to find two intercepts, eg. substitutes the second point into $y = x^2 + ax + b$ and solves to find $a = x^2 + ax + b$ and s	
		P1	(dep on P2) for factorising or completing the square of $x^2 + "-4" x + "-5"$ and identifying the x-coordinate of the turning point or for a complete process to find the x-coordinate of the turning point, eg $(5 + "-1")/2$	
		A1	cao	x-coordinate of 2 with no or incorrect working gets NO marks

3 ⁽ⁱ⁾	3, 8	M1	for $a = 3$, may be seen in working or as part of an expression, eg $(x - 3)^2 - 9$	9 does not have to be seen for this mark
		A1	for $a = 3, b = 8$	
(ii)	3, -8	В1	for 3, -8 or ft (i)	

4	Sketch graph with TP at (2, -13) and intercepts at $(0, -5), (2 + \sqrt{\frac{13}{2}}, 0)$ and $(2 - \sqrt{\frac{13}{2}}, 0)$	B1 M1	for a parabola drawn with intercept at the point $(0, -5)$ for the start of a method to find the roots of $y = 0$, eg. $2(x-2)^2 - 13 = 0$ oe or $(x = 1) \frac{8 \pm \sqrt{(-8)^2 - 4 \times 2 \times -5}}{2 \times 2}$	
		M1	(dep) for method to find the roots, eg. $2 \pm \sqrt{\frac{13}{2}}$ oe	
		B1	for turning point at $(2, -13)$	Turning point may be just seen and labelled on the sketch
		C1	for a fully correct parabola drawn with turning point at $(2, -13)$ and intercepts at $(0, -5)$, $(2 + \sqrt{\frac{13}{2}}, 0)$ oe and $(2 - \sqrt{\frac{13}{2}}, 0)$ oe	
			clearly shown	

6	(3, 36)	P1	for factorising -3 from the expression, eg $-3(x^2 - 6x - 3)$ or $-3(x^2 - 6x) + 9$	
		P1	for starting the process to complete the square, eg $(x-3)^2 - 9$	ft from their factorising if only one error
		P1	for completing the process of completing the square, eg $-3[(x-3)^2-12]$ or $-3(x-3)^2+36$	
		A1	cao	An answer only and no working is 0 marks